SIO 223: Class Notes and Text

The table below summarizes how different sections of the class notes correspond to parts of the textbook by Dekking *et al.* (DKLM). You will notice that in most cases the book offers longer and fuller treatments than the notes. This is part of the reason we chose it: if you find the notes too terse, the book offers a more leisurely discussion, with more examples. The book also has a feature that we *strongly* urge you to use, namely the Quick Questions that are scattered through the text. As you read, and encounter one of these, try to answer it before continuing, as a check that you have understood it ("read, mark, learn, and inwardly digest") and not just nodded along as you read: a habit we can all too easily fall into.

In the table, integers refer to whole chapters, decimals to sections.

Notes	DKLM	Comments	2.9	14	We hope you will find these two treatments complemen-
2.2	2	We use Pr for probability			tary: ours attempts a demon-
	2	measure, they use P.			stration, theirs shows more
2.3–4	3	You should at least read this			results.
		so that you will have heard of	2.0.1		
		the "Law of Total Probabil-	3.0-1		
		ity". See also their Section	3.2	5.5	
		1.3 on the "Monty Hall prob-	3.3	12	Their discussion is, obvi-
		lem", which is a good exam-			ously, more detailed
		ple of the difficulty people	3.4	5.3	
		have with conditional proba-	3.5	12.3	
		bility.	3.6	_	
2.5	4,5	Most of the examples of dis-	3.7	—	
		tributions they discuss we	3.8	7.1	
		cover in Chapter 3 of the	3.9	_	
		notes. Their f (probability	3.10	27	The discussion in Dekking et
		mass function) is our ϕ (prob-			al. is of the use of the t-distri-
		ability density function) and			bution for hypothesis testing,
		their F (distribution function)			which we discuss in Chapter
		is our Φ (cumulative distribu-			6.
		tion function). Note that they	3.11	_	
		take the usual approach of	3.12	5.4	
		not using generalized func-	3.13	_	
		tions, and so have to say that	3.14	_	
		there is no pdf for a discrete-	3.15		
		valued random variable.			
2.6	7	Their expectation operator E	4.1	9.2.9.3	
		is our <i>Ex</i> .	4.2	9.2.9.3	
2.7	7.3.8	Section 7.3 introduces func-	4.3	10	
	, .	tions of random variables	4.4	9.4	
		through the change of vari-	4 5		
		ables: Chapter 8 covers the	4.6	11.2	
		more general case	461	17.4	
28	11	The full treatment of "arith-	462		
2.0	11	metic with variables" does	463	_	
		require covering joint proba-	1.0.5		
		bility which we do later and	4.7		
		they do in Chapters 9 and 10.	т.0		
			5.1.1	16.1–2	
			5.1.2	16.3	
			5.1.3	_	

5.2.1	19,20	
5.2.2	—	Chapter 6 gives some of the
		ideas.
5.2.3	18	
5.3	23,24	
5.4	19,20	
5.5	21	
6.1	—	
6.2	25	
6.3	28	
6.4	—	
6.5	—	
6.6	—	